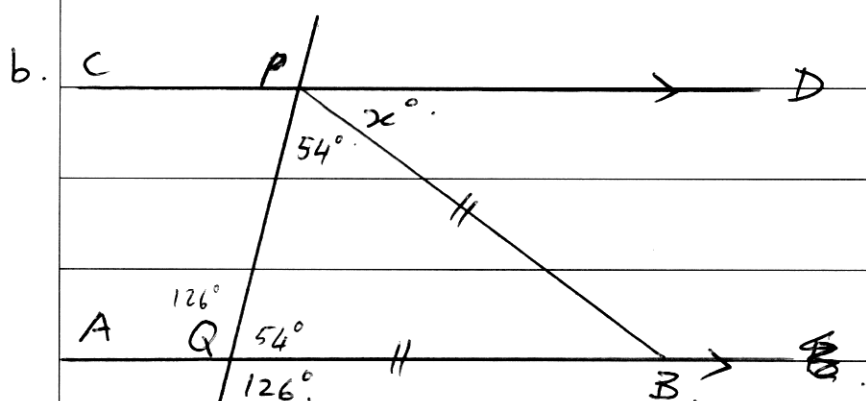


Question 3.

a.

$$A_n = P \left(1 + \frac{r}{100} \right)^n$$
$$= \$1000 \left(1 + \frac{3.5}{100} \right)^{20}$$
$$= 1000 (1.035)^{20}$$
$$= \underline{\underline{\$1989.79}} \text{ (2dp)}$$

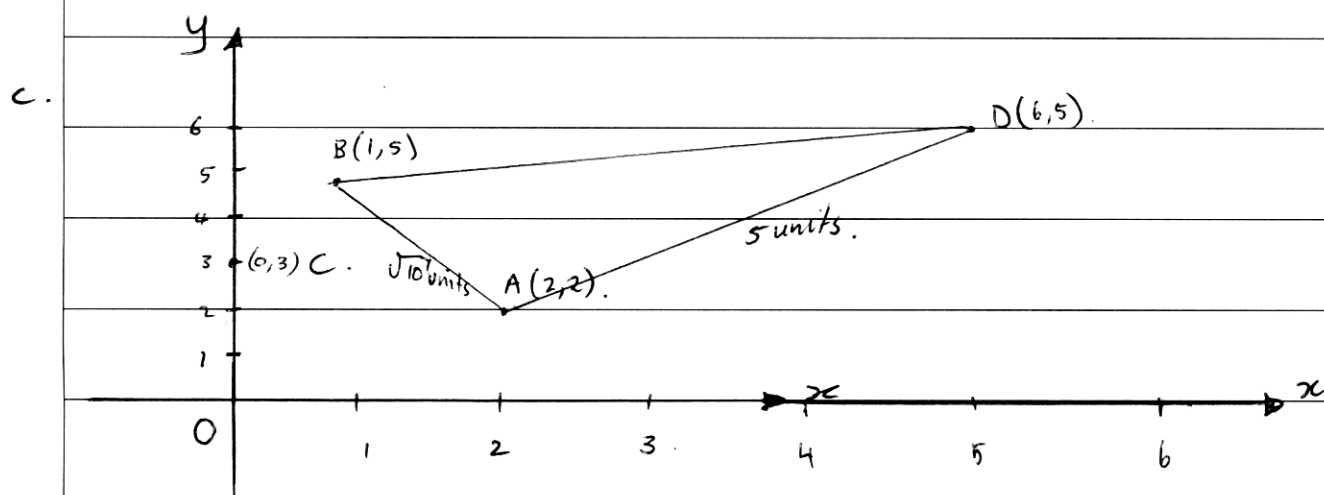


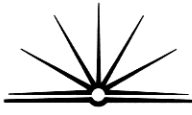
$$\hat{AQP} = 126^\circ \text{ (vert. opp. } \underline{\text{L's}} \text{)}$$

$$\hat{PQB} = 54^\circ \text{ (L's str. line add up to } 180^\circ \therefore 180 - 126 = 54^\circ \text{)}$$

$$\hat{QPB} = 54^\circ \text{ (L's of isocoles } \Delta \text{)}$$

$$\hat{DPB} = 72^\circ \text{ (~~L's~~ supplementary L's add up to } 180^\circ \text{ } 180 - 54 - 54 = 72^\circ \text{)}$$





$$\begin{aligned} \text{i. Midpoint } x &= \frac{x_1 + x_2}{2} \\ &= \frac{1+2}{2} \\ &= \frac{3}{2} \end{aligned}$$

$$= 1\frac{1}{2}$$

$$\begin{aligned} y &= \frac{y_1 + y_2}{2} \\ &= \frac{5+2}{2} \\ &= \frac{7}{2} \end{aligned}$$

$$= 3\frac{1}{2}$$

Midpoint is at $(1\frac{1}{2}, 3\frac{1}{2})$

ii perpendicular bisector of AB.

$$\begin{aligned} m &= \frac{5-2}{1-2} \\ &= \frac{3}{-1} \end{aligned}$$

$$= -3$$

$$m_{\perp} = \frac{1}{3}$$

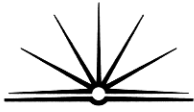
$$\therefore y - 3\frac{1}{2} = \frac{1}{3}(x - 1\frac{1}{2})$$

$$y = \frac{1}{3}x - \frac{1}{2} + 3\frac{1}{2}$$

$$y = \frac{1}{3}x + 3$$

$$3y = x + 9$$

$$0 = x + 9 - 3y$$



iii $x - 3y + 9 = 0$

$$x + 9 = 3y.$$

@ $x = 0$.

$$9 = 3y$$

$$y = 3.$$

$$\therefore x = 0.$$

Point C lies on $(0, 3)$ and is equidistant from A and B.

iv. $y = 5$ and $x - 3y + 9 = 0$.

~~$x - 3y + 9 = 0$~~

$$5 = \frac{1}{3}x + 3.$$

$$2 = \frac{1}{3}x$$

$$x = 6.$$

$$\therefore y = 5.$$

v. Area of $\triangle ABD$.

$$\text{Area} = \frac{1}{2} b \times h.$$

length of AD

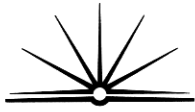
$$AD = \sqrt{(2 - 6)^2 + (2 - 5)^2}$$

$$= \sqrt{16 + 9}$$

$$= \pm \sqrt{25}$$

$$= \pm 5 \quad \text{as } -5 \text{ cannot be a length.}$$

$$= 5 \text{ units.}$$



length of AB.

$$AB = \sqrt{(2-1)^2 + (2-5)^2}$$

$$= \sqrt{1 + 9}$$

$$= \sqrt{10}$$

$$A = \frac{1}{2} \times b \times h$$

$$= \frac{1}{2} \times \sqrt{10} \times 5$$

$$= 7.9 \text{ units}^2$$